## Maths Parent Workshop

$17^{\text {th }}$ November 2022
Supporting your child's learning in Maths

If you have a question or comment, please $\begin{aligned} \text { ноут }\end{aligned}$ jot it down on the slip of paper provided and place it into the box.

We will endeavour to answer as many questions as possible and the responses will be shared in a Friday bulletin.

## Aims

- NC \& Maths Mastery
- Maths Mastery at HT
- Supporting learning and maths talk at home


## In line with the national curriculum 2014, the curriculum at Holy Trinity aims to ensure that all pupils:

- become fluent in the fundamentals of mathematics, including through varied and frequent practice with increasingly complex problems over time, so that pupils develop conceptual understanding and the ability to recall and apply knowledge rapidly and accurately.
reason mathematically by following a line of enquiry, conjecturing relationships and generalisations, and developing an argument, justification or proof using mathematical language
can solve problems by applying their mathematics to a variety of routine and non-routine problems with increasing sophistication, including breaking down problems into a series of simpler steps and persevering in seeking solutions.

Shallow learning: surface, temporary, often lost

Deep learning: it sticks and can be recalled and used

Deepest learning: it can be transferred and applied in different contexts

## 5 Big Ideas



Small, connected steps to ensure concepts are made easier to grasp
"In mathematics, you know you've mastered something when you can apply it to a totally new problem in an unfamiliar situation."
Dr. Helen Drury, Director of Mathematics Mastery

# What your children are being exposed to in their <br> Maths Mastery lessons EYFS 

## Fluency opportunities

Representing numbers/recognising amounts
Counting
Subitising
Reasoning opportunities
Problem solving opportunities

## What your children are being exposed to in their Maths Mastery lessons Key Stage I \& 2

Mastering Number opportunities - subitising, number bonds, number sense (KSI)
Fluent in Five - Fluency opportunities to 'Interrupt the forgetting' (KS2)
Pair talk/class discussions/group activities
Stem sentences/Key vocabulary/generalisations/making connections
Recapping opportunities/addressing misconceptions/scaffolding
A range of representations/variation/high-order questioning/modelling \& applying
Challenges/routine and non-routine problems/reasoning \& problem solving tasks

## CPA

## Concrete-Pictorial-Abstract

Discuss - I minute
True or False?
Concrete manipulatives are only useful to younger years when doing maths.

## Tens frames

## Bead strings

| 10 | 10 | 10 | 10 | 10 |
| :--- | :--- | :--- | :--- | :--- |
| 10 | 10 | 10 | 10 | 10 |


| 1000 | 1000 | 1000 | 1000 | 1000 |
| :--- | :--- | :--- | :--- | :--- |
| 1000 | 1000 | 1000 | 1000 | 1000 |
|  |  |  |  |  |



## Multilink cubes



## Cuisenaire rods



## Base ten/dienes



## Number line

922-50
(1)

## Gattengo charts

| $1,000,000$ | $2,000,000$ | $3,000,000$ | $4,000,000$ | $5,000,000$ | $6,000,000$ | $7,000,000$ | $8,000,000$ | $9,000,000$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 100,000 | 200,000 | 300,000 | 400,000 | 500,000 | 600,000 | 700,000 | 800,000 | 900,000 |
| 10,000 | 20,000 | 30,000 | 40,000 | 50,000 | 60,000 | 70,000 | 80,000 | 90,000 |
| 1,000 | 2,000 | 3,000 | 4,000 | 5,000 | 6,000 | 7,000 | 8,000 | 9,000 |
| 100 | 200 | 300 | 400 | 500 | 600 | 700 | 800 | 900 |
| 10 | 20 | 30 | 40 | 50 | 60 | 70 | 80 | 90 |
| 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| 0.1 | 0.2 | 0.3 | 0.4 | 0.5 | 0.6 | 0.7 | 0.8 | 0.9 |
| 0.01 | 0.02 | 0.03 | 0.04 | 0.05 | 0.06 | 0.07 | 0.08 | 0.09 |

Place value charts
Part-whole models
\& Bar models


## Concrete and pictorial to written methods



$$
16,853+23,671=40,524
$$

Use the addition to work out these calculations.

$$
16,953+23,671
$$

```
16,883+23,691
```

```
40,524-16,853
```

42,524-16,853

40,524-17,853
405,240-236,710
Compare methods with a partner.

## Conceptual instead of

## Exposing children to variation



Allows for immediate application....

There are 3 packages of cheese. Each package contains 6 individually wrapped pieces of cheese.
(1) How many pieces of cheese are there altogether?
(2) If you add one more package, by how many would the number of pieces of cheese increase?

Each gondola can hold 6 people. How many people can ride in 4 gondolas altogether?


3 There are 6 children. We are going to give 7 candies to each child. How many candies do we need?


$$
6 \times 9=6 \times 8+
$$

$\square$

## A piece of wood 30 cm long is cut into 6 cm lengths. How many pieces can be cut?

## Learning Journey



## Supporting your child at home



## Question prompts

Question prompts can be useful when talking to your child about maths.

## When your child is starting some <br> work




## If you child is starting to get stuck

## Remember that being 'stuck' is part of learning




## Addition facts to and within IO

End of Year 2 (not yet fluent)

|  | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | K | K | K | K | K | K | K | K | K | K | K |
| 1 | K | K | K | K | K | K | K | K | K | K | K |
| 2 | K | K | K | K | K | K | K | K | K | K | K |
| 3 | K | K | K | K | S | K | K | C | C | C | K |
| 4 | K | K | K | S | K | K | K | C | K | S | K |
| 5 | K | K | K | K | S | K | S | S | C | S | K |
| 6 | K | K | K | K | K | K | K | C | C | C | K |
| 7 | K | K | K | K | C | S | C | K | C | C | K |
| 8 | K | K | K | C | K | C | C | C | K | C | K |
| 9 | K | K | K | K | S | C | C | S | C | K | K |
| 10 | K | K | K | K | K | K | K | K | K | K | K |

End of Year 3 (fluent - moved away from counting)

|  | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | K | K | K | K | K | K | K | K | K | K | K |
| 1 | K | K | K | K | K | K | K | K | K | K | K |
| 2 | K | K | K | K | K | K | K | K | K | K | K |
| 3 | K | K | K | K | K | K | K | K | S | S | K |
| 4 | K | K | K | K | K | K | K | S | K | S | K |
| 5 | K | K | K | K | K | K | S | S | S | S | K |
| 6 | K | K | K | K | K | S | K | S | S | S | K |
| 7 | K | K | K | K | S | S | S | K | S | S | K |
| 8 | K | K | K | S | K | S | S | S | K | S | K |
| 9 | K | K | K | S | S | S | S | S | S | K | K |
| 10 | K | K | K | K | K | K | K | K | K | K | K |

## K - Known

## S - Strategy

## C - Counting

## Addition facts which bridge 10

| Adding 1 and 2 | Bonds to 10 | Adding 10 | Bridging/ | YI facts |
| :---: | :---: | :---: | :---: | :---: |
| Doubles | Adding 0 | Near doubles |  | facts |


| + | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | $0+0$ | $0+1$ | $0+2$ | $0+3$ | $0+4$ | $0+5$ | $0+6$ | $0+7$ | $0+8$ | $0+9$ | $0+10$ |
| 1 | $1+0$ | $1+1$ | $1+2$ | $1+3$ | $1+4$ | $1+5$ | $1+6$ | $1+7$ | $1+8$ | $1+9$ | $1+10$ |
| 2 | $2+0$ | $2+1$ | $2+2$ | $2+3$ | $2+4$ | $2+5$ | $2+6$ | $2+7$ | $2+8$ | $2+9$ | $2+10$ |
| 3 | $3+0$ | $3+1$ | $3+2$ | $3+3$ | $3+4$ | $3+5$ | $3+6$ | $3+7$ | $3+8$ | $3+9$ | $3+10$ |
| 4 | $4+0$ | $4+1$ | $4+2$ | $4+3$ | $4+4$ | $4+5$ | $4+6$ | $4+7$ | $4+8$ | $4+9$ | $4+10$ |
| 5 | $5+0$ | $5+1$ | $5+2$ | $5+3$ | $5+4$ | $5+5$ | $5+6$ | $5+7$ | $5+8$ | $5+9$ | $5+10$ |
| 6 | $6+0$ | $6+1$ | $6+2$ | $6+3$ | $6+4$ | $6+5$ | $6+6$ | $6+7$ | $6+8$ | $6+9$ | $6+10$ |
| 7 | $7+0$ | $7+1$ | $7+2$ | $7+3$ | $7+4$ | $7+5$ | $7+6$ | $7+7$ | $7+8$ | $7+9$ | $7+10$ |
| 8 | $8+0$ | $8+1$ | $8+2$ | $8+3$ | $8+4$ | $8+5$ | $8+6$ | $8+7$ | $8+8$ | $8+9$ | $8+10$ |
| 9 | $9+0$ | $9+1$ | $9+2$ | $9+3$ | $9+4$ | $9+5$ | $9+6$ | $9+7$ | $9+8$ | $9+9$ | $9+10$ |
| 10 | $10+0$ | $10+1$ | $10+2$ | $10+3$ | $10+4$ | $10+5$ | $10+6$ | $10+7$ | $10+8$ | $10+9$ | $10+10$ |

# Efficiency in calculation requires having a variety of mental strategies 

## "magic I0"

$9+6=9+1+5=10+5=15$

## Activity

## What do you notice?

## What's the same? What's different?

$$
10-7=3
$$

$$
12-9=\ldots
$$

$$
14-11=\ldots
$$

$$
121,372-10,998=
$$

$$
121,373-10,999=
$$

$$
16-\ldots=3
$$

$$
121,374-11,000=
$$

$$
18-\ldots=3
$$

$$
121,375-11,001=
$$

$$
\ldots-17-2 \text { anmetions }
$$

We have learnt that if we increase the minuend and subtrahend by the same amount, the difference is always the same.
addend + addend $=$ sum
minuend - subtrahend $=$ difference

Children often resort to column addition or subtraction to solve these number sentences.
| $999+\mid 999$ =


## 700-348=

$$
\begin{array}{r}
6{ }^{79} 00 \\
-\quad 348 \\
\hline 352
\end{array}
$$

But is this the most efficient way?
NO
Encouraging children to use their conceptual understanding will develop their mathematical thinking.
If I know $2000+2000=4000$, then $4000-2=$ 3998 **The amount I increase by addends by

699-347 = can be done mentally will need to be subtracted from the sum.

## Stem sentences

## If I know ......, then I know

## I know ......., so

## $8000-2000=$

$$
8-2=6
$$

so 8 thousands - 2
thousands $=6$ thousands

I know that if I minus (or add) a multiple of a thousand, the ones, tens and hundreds always stay the same.

## Table activity

Number bond to and within IO


## Hinge question

## Assessing understanding

There are ..... tens in one hundred 1,298-9 =
A) 100
A) 1307
B) 1
C) 10
D) 1000
B) 1208
C) 1289
D) 1288

## Spotting the mistake


"The circle is divided into quarters."

## Explain the mistake?

What could the misconception be?

## Always, Sometimes, Never true

| When you add two even numbers <br> together the answer is even | When you add two odd numbers <br> together the answer is odd | If you add an even number to an <br> odd number the answer is even |
| :---: | :---: | :---: |
| When you multiply by an odd <br> number the answer is odd | When you multiply by an even <br> number the answer is even | Doubling a number results in an <br> even number |
| When you multiply a number by <br> itself the answer is even | The sum of four even numbers is <br> divisible by four | Adding three consecutive <br> numbers results in an even <br> number |

## Prove it!

## Examples and non-examples

why is it and why it's not


## Why is it a triangle? Why isn't it a triangle What do you know about a triangle?

Questioning \& Reasoning - deepens thinking and understanding.

## Making Maths fun

## Explore

Choose a start number from the list below: $258,310,648,686,295,382,372,701,696,718,284,728$

Take turns to roll a dice. On your go:
Roll a I: add or subtract I from your number
Roll a 2: add or subtract 10 from your number
Roll a 3: add or subtract 10 from your number
Roll a 4: round your number to the nearest 10
Roll a 5: round your number to the nearest 100
Roll a 6: free choice from the options above
The first player to get to 500 wins!

## True or false

$12,345-6,789=5,556$
$5,556+6,789=12,345$

True
The inverse of subtraction is addition.

| 12,345 |  |
| :---: | :---: |
| 5,556 | 6,789 |

Choosing an efficient strategy Written or mental strategy?
$183+117=\quad 597+126=\quad 370+280=$
$628+371=\quad 4050+602=$
I answered ..... mentally by .....
There are more steps to answer .... because....

## Top Tips to Support Your Child's Maths Learning

- Be positive about maths, even if you don't feel confident yourself.
- Talk and listen to your child about their work in maths.
- It will help your child if they explain their work to you. In class we also ask them to explain their thinking.
- Help your child to practise their number facts. This will build up their confidence. If they find it hard at first, stick to two or three facts to make sure they are secure before moving on.



## Online Maths programmes



## (8) MyMaths

Year 1-6


Tutorbot

## Maths Website page



Holy Trinity C of E Primary School

| G Select Language $\mid \boldsymbol{~}$ | LOGIN |
| :--- | ---: |
| SEARCH $\ldots$ | $\mathbf{Q}$ |


| HOME | OUR SCHOOL | PARENTS | TEACHING \& LEARNING | ADMISSIONS | COMMUNITY | CONTACT |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |

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The Curriculum
    Curriculum Intent
    Mathematics
    English
    Science
    Computing
```

Mathematics

Intent
At Holy Trinity we fully embrace the concept of maths mastery' and teach a rich, balanced and progressive maths curriculum allowing all children to have opportunities to reason, problem solve and develop fluent conceptual understanding in each area.


## Impact

Holy Trinity Pupils will leave Year 6 prepared for the next stage in their lives with:

- The ability to demonstrate a quick recall of facts and procedures
- The flexibility and fluidity to move between


Core Year Group Knowledge and Understanding:
The series of videos below accompanies the Department of Educations's (DfE) Key Stage 1 and 2 maths guidance. The videos focus on each year and summarises the core knowledge and understanding that pupils require by the end of the year in order that they are ready to progress to the next year

A really useful tool for parents and teachers.
© Year 1 mathematics guidance link
\% Year 2 mathematics guidance link
\% Year 3 mathematics guidance link
\% Year 4 mathematic guidance link
\% Year 5 mathematic guidance link
\% Year 6 mathematic guidance link

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We will endeavour to answer as many questions as possible and the responses will be shared in a Friday bulletin.

## Thank you for your continued support

